

# Schrödinger's CRCs

(Fast Abstract)<sup>1</sup>

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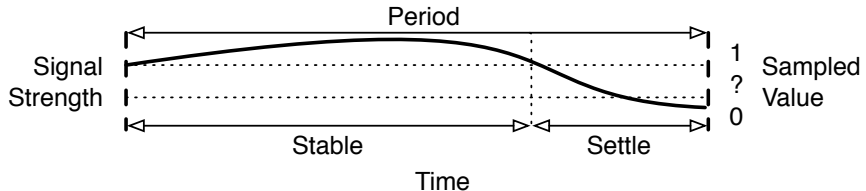
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# Talk Goals

- ▶ New metrics for analyzing the fault-tolerance of CRCs.
- ▶ Motivated by sources of Byzantine faults.
- ▶ Initial idea (and catchy title) originally developed in *Byzantine Fault Tolerance, from Theory to Reality*, by K. Driscoll, B. Hall, Håkan Sivencrona, and P. Zumsteg, SAFECOMP 2003.

# Relevant Faults



- ▶ Frequent faults causing a receiver to misinterpret a signal.
- ▶ Could be due to faults in the sender, receiver, or interconnect.
  - ▶ “Slightly-out-of-spec” timing faults.
  - ▶ Stuck-at- $\frac{1}{2}$  faults.

# Schrödinger bit errors

**Schrödinger bit errors:** for a fixed transmitter and receiver, bit errors that are **exclusively** one of

- ▶ 0s are randomly misinterpreted as 1s.
- ▶ 1s are randomly misinterpreted as 0s.

A subset of random transient faults.

# Why it Matters

- ▶ Permanent faults may appear to be transient if they lead to Schrödinger bit errors.
- ▶ Upon component failure, the probability of Schrödinger bit errors may be much higher than random transient faults, causing a bit-error rate that frequently violates the Hamming distance.
- ▶ More empirical data is needed on fault-arrival rates for Schrödinger bit errors.

## New Metrics

Fix a data-word width  $w$ , a CRC polynomial, and a number of bit errors  $e$ .

- ▶ **Schrödinger-Hamming weight (SHW)**: The total number of possible undetected corruptions of data-words of width  $w$  and their FCSs together resulting from  $e$  Schrödinger bit errors.
- ▶ **The Schrödinger-Hamming distance (SHD)**: The smallest number of Schrödinger bit errors resulting in a non-zero SHW.

**Open Question:** Does there exist a CRC and data-word size such that  $\text{SHD} > \text{Hamming distance}$ ?

## Final Observations

- ▶ Observation: a *Manchester encoding* detects *all* Schrödinger bit errors by encoding a '0' as '01' and '1' as '10'.
- ▶ Should use a Manchester encoding when expecting Schrödinger bit errors.
- ▶ Read the (short) paper and Driscoll *et al.*'s original paper!